# Coming Back to Forth

**Andrew McKewan** 

Silicon Valley FIG - Forth Day - 15 Nov 2025

# **1984**: Learn Forth by typing...

#### fig-FORTH 8086/8088 ASSEMBLY SOURCE LISTING



RELEASE 1.0

WITH COMPILER SECURITY AND VARIABLE LENGTH WORDS

**MARCH 1981** 

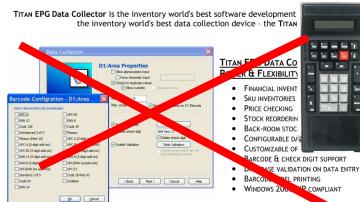
The public domeon publication is provided through the counters of the burns outprise tranging to max fall, has read, at 9016.

Further distribution must contain this motion. **1985**: A Programmer! Discovered F83. Created the "Universal Data Langage" (aka 1806 Forth) so customers can program a hand-held data-collection

device.



#### SOPHISTICATED, CUSTOMIZED DATA COLLECTION WITHOUT PROGRAMMING!



: California here we come! Dorado Systems (Bill R.), access-control readers and systems, 100% Forth tools, 68xx micros. FIG, FORML, community.





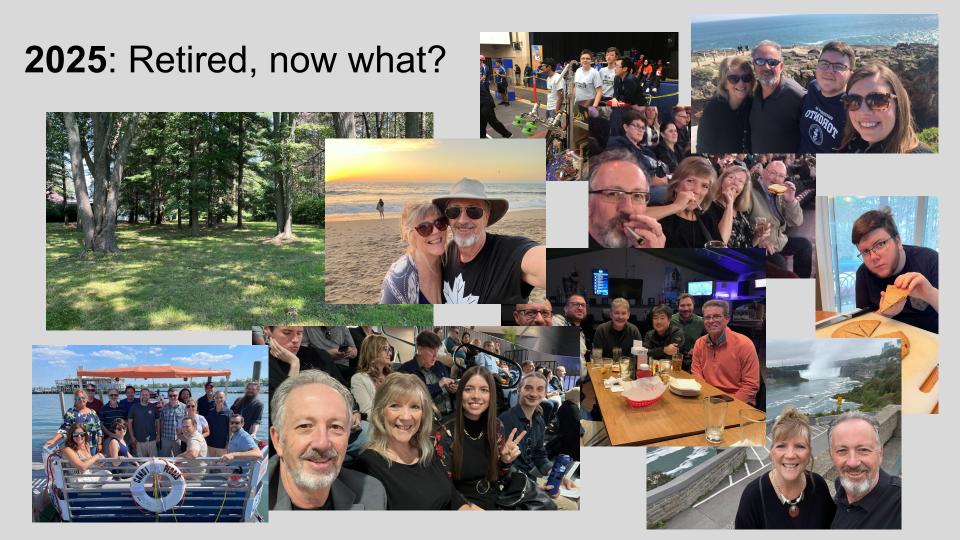
1993: Finnigan (now Thermo Fisher), Win32Forth, large mass-spectrometer data system

Task: Convert a large (100s screens) GC/MS data collection and analysis application from a customized (by M.Perry) 16-bit MS-DOS F83 system to 32-bit Windows (not yet released). Hence Win32Forth.



**2000**: Automotive Infotainment (Harman/GM/Amazon), C, C++, Java, Rust, JS, Lua, Forth







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# **Agenda**

- Introduction and motivation
- 2. Playing the game
- 3. Solving algorithms guessing and pruning
- 4. Results
- 5. Source code: <a href="https://github.com/amckewan/wordle">https://github.com/amckewan/wordle</a>
- 6. Q&A

### Wordle Solver in Forth

This is a Forth program that a provides a simple Wordle game and solver based on the online Wordle game that is now owned by the New York Times.

We use the original list of 12,972 5-letter words that are allowed as guesses. Game solutions are selected from a 2,315-word subset that we call the "hidden" list.

The goal is to solve all 2,315 puzzles, ideally without knowing the hidden word list.

There has been quite a bit of analysis done on Wordle and several people have written an optimal solver. According to <u>The best strategies for Wordle</u>, we know that we can solve all puzzles in 5 or fewer guesses with an average of about 3.4 guesses per puzzle.

# Playing Wordle

Play <u>nyt.com</u>

Play forth game

# Solving the Puzzle

Data types: words and scores

The Working set

Using the hidden list (2,315 words) or the full list (12,972 words)

Guessing - find the "best" word for each guess

Pruning - reducing the working set after each guess

Endgame strategy - getting close, time to shift gears

## Wordle Words

```
5 constant len
: ww, bl parse drop here len dup allot move ;
create wordle-words
 ww, aback ww, abase ww, abate ... ww, zonal ( #hidden )
 ww, aahed ww, aalii ww, aargh ... ww, zymic ( #words )
: ww ( w -- a ) len * wordle-words + ;
: find-word ( linear search ) ...;
: w ( -- w ) bl parse find-word 0= abort" Not in word list" ;
: [w] w postpone literal ; immediate
: w. ( w -- ) ww len type space ;
```

# Scoring

```
\ Each letter can score grey, yellow or green, giving 3^5 possible scores.
\ Scores range from 0 (all grey) to 242 (all green), denoted by 's'.
\ We use '-' 'Y' and 'G' for input and display.
3 3 3 3 3 * * * * constant #scores
0 constant grey
1 constant yellow
2 constant green
\ literals
color (char -- color) 2 rshift 3 and 3 - negate (ascii tricks);
: >s ( a -- s ) 0 1 len 0 do >r swap count color r@ * rot + r> 3 * loop drop nip ;
: s ( "w" -- s ) bl parse ?len >s ;
: [s] ( "w" -- s ) s postpone literal ; immediate
: s. ( s -- ) len 0 do 3 /mod swap S" -YG" drop + c@ emit loop drop space ;
: score ( target guess -- score )
    init-scoring score-greens score-yellows;
```

# Working Set

```
\ The working set contains the words that could be the solution.
\ We start the game with all the wordle words then prune the set
 after each quess by removing words that wouldn't get that score.
ackslash The working set always contains at least the secret (which is never pruned).
\ We implement the set as a linked list. Each entry in workset contains the
\ word # of the next entry or 0 to end the list.
create workset #words cells allot
variable working ( head of the working set linked list )
: all-words ( add all words to the working set )
   0 working ! workset #words 1 do i over ! cell+ loop 0 swap ! ;
: next (w1 -- w2) cells workset + @;
: next? ( w1 -- w2 f | t ) next ?dup 0= ;
: remaining ( -- n ) 0 working @ begin swap 1+ swap next? until ;
\ Prune the working set, removing words that wouldn't produce this score.
: prune ( -- ) ...;
```

# **Guessing Algorithms**

**Simple** - pick the first word from the working set

**Random** - pick a random word from the working set

**Tally** - use letter frequencies to find the best guess

**Entropy** - use entropy to find the best guess

And the winner is...

# All puzzles solved with entropy guesser and endgame

```
use entropy-guess hidden off endgame on solver
   0 Solved in 1
   13 Solved in 2
 283 Solved in 3
 1353 Solved in 4
  615 Solved in 5
   51 Solved in 6
   0 Failed
Average: 4.17 621.210 sec (about 50 ms per puzzle)
```

# **Solver Results**

Guesser	Hidden	Average	Failed	Time (sec)
simple	on	4.21	52	3
	off	4.21	58	13
random	on	3.99	33	3
	off	4.33	162	11
tally	on	3.63	4	3
	off	4.24	44	14
entropy	on	3.62	12	695
	off	4.17	0	638

#### The entropy guesser

Algorithm from "Solving Wordle using Information Theory" <a href="https://www.youtube.com/watch?v=v68zYyaEmEA">https://www.youtube.com/watch?v=v68zYyaEmEA</a>

Information is measured in bits. If we can divide the solution in half, we have 1 bit of information.  $\frac{1}{4}$  is 2 bits,  $\frac{1}{8}$  is 3 bits, etc.

Given target word T, compute the score you would give for every other word (in the working set) and record how many words got each of the 243 possible scores.

Let P = probability of a particular score (# words with that score / total words)

Let I = information bits = 
$$log_2(1/P)$$
 or  $-log_2(P)$ 

Let entropy = 
$$\sum_{\text{scores}} (P * I)$$

Find T with the largest entropy and use that as the next guess.

# **Endgame Strategy**

We can get in a situation where we have 4 greens (one letter to guess) but more words remaining that we have guesses.

If this happens, we pick a word that has the most of the missing letters.

For example, on our fourth guess we get HOVER, and the working set contains LOVER, MOVER and ROVER. If we just pick at random we will fail a third of the time. Instead, we can use a guess like ALARM which has an L, M and R to narrow it down.

- 1 ABACK
- 2 DEFE
- 3 GIVEF
- 4 HOVE
- 5 ALARN
- 6 **ROVER** Solved

# Thank you!

- It was fun creating an application-specific vocabulary
- Managing > 2 stack items is difficult
- Interactivity is wonderful for exploring and developing ideas
- I improved my Wordle game
- I get to share what I did