# Rock-Paper-Scissors 

Silicon Valley Forth Interest Group
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## Today We'll Cover

- Programming a game.
- Systematic Testing.
- Strategy development.


## The Game

Two players alternate.
Each plays an object: rock, paper, scissors. Each object can win, lose or tie to the other.

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Rock breaks scissors.
Scissors cut paper.
Paper wraps rock.

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If the play by Betsy specifies a row.
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| ROCK | PAPER | SCISSORS |  |
| :---: | :---: | :---: | :---: |
| Tie-0 | Win-1 | Lose-2 | ROCK |
| Lose-3 | Tie-0 | Win-4 | PAPER |
| Win-5 | Lose-6 | Tie-0 | SCISSORS |

## Pseudocode

Create logic for win/loss/tie by player and by object.
Create report elements: who \& why.
Create a playing process.
Report process results of one match.
Report process for a sequence of matches.
An automatic play process.
A statistical choice of play.
A strategy to win against a biased player.

## Array For Items and Players

From two plays select the game result. Alan's choice is the column. Betty's choice is the row.

CREATE Outcome ( 6 to 6 )
\ rock paper scissors for Allen

| ac, | 1 C, | \(2 \mathrm{C}, ~ |  |
| :--- | :--- | :--- | :--- |
| ) rock for Betty |  |  |  |
| 3 C, | 6 C, | 4 C, | \paper for Betty |
| 5 C, | 6 C, | BC, | scissors for Betty |

## A Sample Game

Establish the game result from two inputs.
0 CONSTANT rock 1 CONSTANT paper
2 CONSTANT scissors
: a-game
result-selection show-ressult show-reason ;
: result-selection

$$
3 \text { * + Outcome + ca log-game-result ; }
$$

paper rock a-game \& play play result
[see] Allen wins: paper wraps rock ok

## Log Game Winner

Increment a ualue for a match winner.
: log-game-r゙esult

| dup to Result 1 | swap |
| :--- | :--- |
| case | of + to Ties |
| 1 of + to Allen | endof |
| 2 of + to Betty | endof |
| 3 of + to Betty | endof |
| 4 of + to Allen | endof |
| 5 of +to Allen | endof |
| 6 of +to Betty | endof |
|  |  |

## Display The Game Winner

Give a message selected by the game result.
: show-result
Result case cr
b of ." Allen and Betty tie." endof

1 of ." Allen wins: " endof
2 of ." Betty wins:
endof
3 of ." Betty wins: " endof
4 of ." Allen wins: "
5 of .' Allen wins: '
6 of .'" Betty wins: "
endof
endof
endof
endcase ;

## Display The Reason

From the game result give a message why.
: show-reason

> Result case

6 of ( silent here ) endof
1 of ." paper wraps rock " endof
2 of ." rock breaks scissors " endof
3 of .' paper wraps rock " endof
4 of ." scissors cut paper " endof
5 of .' rock breaks scissors " endof
6 of ." scissors cut paper " endof endcase ;

## Sample Play

paper rock a-game a play play result show-r゙esult Allen wins:
show-reason paper wraps rock ok

## Strategy Development

Your opponent must have a bias or you have an 'edge'.
When you win, do more if it.
When you lose do less of it.
Vary your play to avoid alerting your opponent.
[This is identical to card counting at a casino.]

## Pseudocode

Setup your probability for each of the three choices. All equal to start.
Your opponent picks a choice at random but with a bias.
You make a choice according to your table of probabilities.
On a win, increase the future probability of that choice.
On a loss, decrease the future probability of that choice.

## Probability Support For Betty

Begin with equal probability of choices.
UARIABLE B-Rock \ Probability of a choice
UARIABLE B-Paper
UARIABLE B-Scis5ors
: setup-Betty y all equal probabilities 333 dup dup B-Rock : B-Paper : B-Scissor's : ;

## Allen's Choice, 50\% ROCK,

If a random number is greater than 506 play ROCK ( $0^{2}$ ).

Else if it is greater than 250 play PAPER (1)

Else play SCISSORS (2).
: Allen-Strategy-Play
1069 random dup
506 > if drop ROCK else
25 ( $>$ if PAPER else SCISSORS then then ;

## Betty's Choice

Random number under 19619.
If greater than prob(Paper+Scissors) play ROCK.

If greater than prob(Scissors) play PAPER else play SCISSORS.
: Betty-Strategy-Play
19619 random dup
B-Paper (G-Scissors + >
if drop ROCK
else B-Scissors [
if PAPER else SCISSORS then then ;

## Betty's Adjustments, +/- ½\%

Adjust probability of a choice up or down by win/loss.
: Betty-update



## Results, all in percentages

|  | Ties | Allen | Betty | Rock | Paper | Scissors |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Match 1 | $\square$ | 101 | 1 | 33 | 33 | 33 |
| Match 100 | 31 | 33 | 36 | 32 | 36 | 31 |
| Match 500 | 34 | 29 | 35 | 35 | 45 | 19 A |
| Match 1, 009 | 37 | 30 | 32 | 32 | 56 | 10 |
| Match 1,200 | 31 | 31 | 36 | 19 |  | 3 |
| Hatch 1,500 | 34 | 28 | 36 | B28 | 11 | 1 |
| Match 1,691 | 30 | 31 | 38 | 5 | 94 | 9 |
| Match 1,709 | 30 | 28 | C 41 | $\square$ | 109 | 0 |
| A First Betty decreases Scissors, to avoid losses. |  |  |  |  |  |  |
| B Then Betty | decr | 5 Ro | , to | oid |  |  |

This illustrates the Law of Large Numbers.

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- User input and scoring was simple.
- Even against a very gross player developing a strategy took many matches.
- The law of large numbers is why casinos stay in business: A small edge over a large number of plays.

